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# Adapting Computational Thinking Scale (CTS) for Chinese High School Students and Their Thinking Scale Skills Level

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The purpose of this study is to adapt the computational thinking scale to Article history **Received:** Chinese. The study group consists of 1015 students. The study was 27.11.2018 performed in the descriptive scanning model. The final version of the scale was corrected in line with the opinions of the language experts who **Received in revised form:** received the items translated from Turkish to Chinese. Exploratory and 06.03.2019 confirmatory factor analyses were calculated to determine the validity of Accepted: the scale. Later, the distinctiveness forces were calculated. To determine 07.03.2019 the reliability of the scale internal consistency and stability levels were calculated. It has been concluded that the computational thinking scale is Key words: a valid and reliable tool in Chinese culture that can be used to determine Computational thinking, scale high school students' computational thinking skills. In addition, it was development, validity, reliability concluded that the students' computational thinking skills were quite high. In terms of factors, the students' highest level skills are "Creativity" and the lowest ones are "Problem Solving" and "Algorithmic Thinking". In terms of total scores and factors, computational thinking skills of male students are higher than female students. But problem solving skills are similar. It was concluded that k10 students' computational thinking skills were higher than k11 students in terms of "Problem Solving", "Critical Thinking" and total scores. Based on the results obtained from this research and the literature, it is recommended that students frequently take part in activities that aim to improve their Problem Solving and Algorithmic Thinking skills, especially within the context of different courses.

#### Introduction

Computational Thinking (CT) as a concept has become popular in recent years. However, nowadays almost everyone, irrespective of age, is expected to have some basic computational thinking skills in parallel with the developments in technology. Hence, being a digital citizen requires students to possess CT skills. Computational thinking is a comprehensive thinking that includes mathematical thinking, engineering thinking and scientific thinking. It is an important carrier of innovative thinking ability.

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Wing (2006) outlined the basic definition of CT as a way of "solving problems, designing systems and understanding human behaviors by drawing on the concepts of computer science". The International Society for Technology in Education (ISTE) and Computer Science Teacher Association (CSTA) published an operational definition about computational thinking :CT is a way to use computer and other tools to solve the problem, involved in data collection, data analysis, data presentation, using the algorithm steps and resources for thinking to develop the optimal combination of automation solutions, and problem solving process can be extended to other areas (CSTA and ISTE,2011) .In 2016, the Computer Science Teacher Association (CSTA) updated their definition of computational thinking: computational thinking is a kind of the methodology to solve the problem, this method can be extended to all disciplines from the Computer Science field, providing a unique way for analyzing and developing problems that can be solved by the calculating method (CSTA,2016). It is possible to define Computational Thinking briefly as having the knowledge, skill and attitudes necessary to be able to use the computers in the solution of life problems for production purposes (Ozden, 2015). From the views of different scholars, we can see that while most scholars emphasize the characteristics of computational thinking as the ability to solve a problem, from different angles, the interpretation of computational thinking is different.

Although there is no unified definition of computational thinking, its importance is obvious. When the fact that computational thinking has a border and general frame is taken into consideration, it is a valid basic skill not only for the computers, but also for everybody and it is considered that it will take place in the basic skills (reading, writing and arithmetic) used by everyone in the near future (Wing, 2006). Jeannette Wing presented CT and defined it as a skill for everyone, not just for computer scientists (Wing, 2006). Computational Thinking is a new perspective for children in k-12 to observe and understand the world around them. It's a new ability to understand and solve problems using computational processes and methods, and it's a necessary skill for them to deal with future competition and challenges.

Nowadays, more researchers are paying attention to computational thinking. Especially the experts in the educational technology field have emphasized that Computational thinking is very significant in terms of the skills of the 21st century (Voogt, Fisser, Good, Mishra, & Yadav, 2015). And how to cultivate and evaluate students' computational thinking ability attracts their attention. There is no doubt that the most critical work in the development of computational thinking is evaluation. The evaluation of computational thinking plays an important role in the k-12 practice field, which is the basis of the CT training activities and the evidence of the training results. However, there is no widely accepted standard for evaluating CT in k-12. The existing research about evaluation standards of computational thinking in k-12 mostly adopted the multidimensional and hierarchical setting methods, combined with some content elements of science of computer and problem solving process, and using the grade as reference to divide different standards. Among them, the most authoritative one is the "Case guide" of computational thinking that different school age students should reach different levels from International Society for Technology in Education (ISTE) and Computer Science Teacher Association (CSTA).Computational thinking is divided into nine dimensions: data collection, data analysis, data presentation, problem decomposition, abstract, automation, simulation and parallel algorithm and process, and use case describes the reference performance behavior of computational thinking ability that k-12 students in different stages need to master.

Since computational thinking is the thinking process of solving problems, and problems are





generated in situations, most evaluation methods are carried out under certain circumstances. Currently, the most commonly used evaluation methods are text discourse analysis, subject test, work analysis, graphic analysis and behavior analysis. Discourse analysis based on text means to discover students' thinking changes from their language, mainly through interviews and thinking-aloud. However, this kind of an interview is time-consuming and requires students to have a clear memory of the process to finish their work. For the students in the lower grade, there may be a situation of unclear expressions and irrelevant answers. Therefore, it is difficult and limited to use interview and other text discourse analysis in k-12. Testing refers to using some questions or problems to test students' computational thinking at a certain stage of the course teaching, the results of the analysis can provide feedback to the teacher and students in a timely manner. At present, this way is used very often. It is very convenient, and can get students' learning process information to a certain extent, but the design of the test is very critical, which requires certain theoretical or evaluation criteria (Koh et al.,2010; Aggarwal, Gardner-Mc Cune, Touretzky, 2017; Chen et al.,2017). Work analysis means analyzing student performances in various modules from their work and then diagnosing the improvement level of their ability in different aspects, but the operation is difficult, unless there is a specific analysis tool support(Román –González, Pérez –González, Jiménez – Fernández, 2016). Graphic analysis and behavior analysis mainly focus on students' thinking process and behavior performance, which are the most difficult methods. Graphic analysis mainly adopts flowchart and pseudo-code to reflect students' logical solution and thinking path when they solve problems. Behavior analysis begins from the students' learning behavior, analyzing students' problem solving in the practice process as well as error correction, the recycling process, analyzing the path to solve a problem, observing the application of various modules, evaluating students' computational thinking performance. Field observation needs extra observers in the process of teaching activities to record the operating behavior of the students, and with the development of technology, the records of student behaviors can be obtained by using some recording screens. However, this method requires to record as many details as possible, which is time-consuming and requires a large amount of analysis (Esteves, Fonseca, Morgado, 2011).

On the other hands, there is no scale found of which validity and reliability have been proven to measure the levels regarding especially the computational thinking skills in Chinese. Therefore, this research is limited with self-report based scale and other assessment techniques were not taken into consideration. The purpose of this study is to describe the students' computational thinking skills and adapt the Computational Thinking Scales into Chinese from Turkish for determining the computational thinking skills of the high school students by filling this space in the literature. Hope this scale makes significance to measure CT.

## Method

## **Research Design**

In addition to being a scale adaptation study, this is a descriptive research. It is executed in the scanning model. In this context; students' computational thinking skills have been tried to be determined.



## Study Group

The study group of this study consists of 1015 high school students at the levels of K10 and K11 degree in one private School in Ningxia Province and another public school in Jiangxi Province, China. While descriptive factor analysis was performed on data collected from K11 level students, confirmatory factor analysis was performed on data collected from K10 level students. All data were used in other analyses. The distribution of the students according to gender and class levels is summarized in Table 1.

		Sex		Total	
		Boy	Girl		
	K10	188	191	379	
Grade	K11	279	357	636	
	Total	467	548	1015	

**Table 1.** The distribution of the study group according to the class and gender

# **Measurement Tool**

The data of this study were collected using Computational Thinking Scale adapted to Chinese by researchers. The scale is designed for the first time by Korkmaz, Çakır and Özden (2017) to measure computational thinking skills of university students in Turkey and its original name is "Computational Thinking scales (CTS)". Later, this scale was adapted by Korkmaz, Çakır and Özden (2015) to measure computational thinking skills of secondary school students in Turkey. Within the scope of this study, this scale was translated into Chinese and adapted to high school students' in China.

The scale designed by Korkmaz, Çakır and Özden (2017) to measure the computational thinking skills of university students in Turkey consists of 29 items and five factors. The validity and reliability study of the scale was carried out separately in two different study groups consisting of students from faculty of education and faculty of engineering, and the other students in the science and literature faculty, theology faculty and health sciences faculty. Exploration factor analysis was performed in the first application and confirmatory factor analysis was performed in the second application. Parameters indicate acceptable compliance for this five-factor structure in both applications. The factors on the scale, the number of items and the internal consistency coefficients are summarized in Table 2.

Table 2. Reliability analysis result	s considering the whole	e of the scale and its factors for
undergraduate Students.		

Factors	Number of items	Two congruent halves correlation	Spearman Brown	Guttmann Split-Half	Cronbach's Alpha
Creativity	8	.713	.832	.832	.843
Algorithmic Thinking	6	.756	.861	.860	.869
Cooperativity	4	.835	.910	.908	.865
Critical Thinking	5	.562	.719	.687	.784
Problem Solving	6	.406	.578	.578	.727
Computational Thinking Skills	29	.344	.512	.498	.822

The scale adapted by Korkmaz, Çakır and Özden (2015) to measure the computational thinking skills of middle school students in Turkey consists of 22 items and five factors. Validity and reliability of the scale were carried out in the study group consisting of 241



students studying at K7 and K8 levels. A confirmatory factor analysis was performed on the obtained data and parameters indicate acceptable compliance for this five factor structure. The factors on the scale, the number of items and the internal consistency coefficients are summarized in Table 3.

**Table 3.** Reliability analysis results considering the whole of the scale and its factors for middle school students.

Factors	Number items	of	Cronbach's Alpha
Creativity	4		.640
Algorithmic Thinking	4		.762
Cooperativity	4		.811
Critical Thinking	4		.714
Problem Solving	6		.867
Computational Thinking Skills	22		.809

#### Scale Adaptation Process

The first stage of the scale adaptation process is the translation phase (Hamleton & Patsula, 1999). At this stage, the original scale was translated from Turkish into English by a fluent Turkish and English-speaking educational technology expert and sent to a language specialist for examination. The translated scale was reviewed in case there are significant differences between expert's translations. The translation process was completed by making necessary corrections. After this stage, the scale was translated from English into Chinese by a fluent Chinese and English speaking educational technology expert. The final translation form, as indicated by Hamleton and Patsula (1999), has been translated into English again by two experts and their consistency with the original material structures has been examined. In the examination, it was observed that the original scale materials and the texts in the form obtained by translation from Chinese were the language equivalence.

The second stage of scale adaptation is the implementation of the adapted scale in the experimental group (Deniz, 2007). In this context, the adapted and corrected test should be applied to the Pilot Group before the examination of psychometric characteristics and should be checked for any further corrections to be made on the scale. In this way, after the draft scale form was created, the scale was applied to 1015 students at K10 and K11 level in order to evaluate the factor structure of the scale, structure validity and the reliability of the scale scores and the differences of the items. Factor structures for the Chinese form of the scale were studied based on the data obtained from the application.

At the last stage, the data obtained after the draft scale was applied to the study group were uploaded to SPSS and Amos programs to perform validity and reliability analysis of the scale. The validity of the original factor structure of the scale in Chinese culture and high school level was investigated by both exploratory and confirmatory factor analysis (Gülbahar & Büyüköztürk, 2008). According to the basic parameters for exploratory and confirmatory factor analysis, it was concluded that the factor structure of the scale is valid in Chinese culture and K10 and K11 levels. Internal consistency analysis was performed on the data to calculate the reliability of the scale.



#### Data Analysis

Each item has been scaled as never (1), rarely (2), occasionally (3), generally (4), always (5). The scores that are obtained from the answers given by students to five Likert type scale do not perform a standardized picture due to the differences of item numbers in factors. That is why it is appropriate to transform the obtained raw scores into standard scores the lowest of which is 20, the highest one is 100. That is because this developed scale aims to reach self-regulated learning score that can be standardized regardless of the features of the group it has been applied. The formula given below can be used in the transformation of raw scores into standard score:

$$x_{\text{standard score}} = \frac{x_{\text{raw score}}}{\text{Item numbers}} \times 20$$

The levels that are the equivalents of scores obtained from sub scales can be given such: 20-51: Low Level;52-67: Medium Level; 68-100: High Level. On these data obtained in order to detect self-regulated learning levels of students; frequency, percentage, arithmetical means, standard deviation and t tests have been employed. In differentiation analyses p<0.05significance level has been considered sufficient.

### Finding

### Findings Regarding the Validity of the Scale

The structural validity and item-factor score correlations were calculated and the results were presented below.

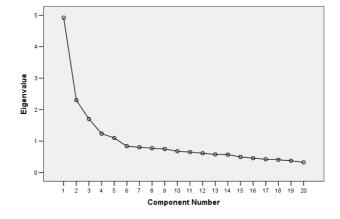
### Construct Validity

Findings Regarding the Exploratory Factor Analysis: According to Tatlidil (2002), the data collected must first be tested for compliance with factor analysis. In this context, using Kaiser-Meyer-Oklin (KMO) and Bartlett tests, it was determined whether to perform factor analysis on these data. If the KMO value is between 0.70 and 0.80, the medium level, else if between 0.80 and 0.90, the good and over 0.90, the data set is considered to be perfectly suitable for factor analysis. In addition, if KMO is less than 0.50, the data set cannot be detected (Field, 2000; Russell, 2002). In this study, KMO= 0.858; Bartlett test value was  $\chi^2$ = 6229.979; SD=231 (p=0.000). According to Bartlett test value, which is known as unit matrices, it is understood that the zero hypothesis was rejected at the level of 0.01 significance (Büyüköztürk, 2002; Eroğlu, 2008). In this context, it can be said that the data set is good for factor analysis.

Based on the values obtained, exploratory and confirmatory factor analyses were used on the data; the condition of separation of the scale into the factors was determined by basic component analysis; and factor loads were investigated by using Varimax steep rotation technique. Factor analysis is used to determine whether items on a scale are divided into fewer factors (Balc1, 2009). The basic components analysis is a very common technique as a factorization technique (Büyüköztürk, 2002). At the end of the basic components analysis used for factor analysis, the items in which there is at least 0.100 difference between the factor loads and whose factor load is less than 0.40 in other words, the items whose load is divided into the two factors, Varimax steep rotation technique was used according to the basic components without making the basic components analysis. Two items, one of which is less than 0.40, and the other of which is spread to different factors, were removed from the



scale. As a result of these operations, 20 items remaining in the scale can be collected under five factors similar to the original scale. It was determined that the KMO value of the 20-item scale was 0.883; the Bartlett values were  $\chi 2=5475.929$ ; SD=190; p<0.001. The basic criteria in evaluating factor analysis results are factor loads (Balci, 2009; Gorsuch, 1983; Eroğlu, 2008). The high factor load is seen as an indicator that the variable can be placed under the given factor (Büyüközütk, 2002). The factor loads of 20 items on the scale without being subjected to rotation (unrotated) were between 0.400 and 0.690; however, these loads were subjected to rotation after Varimax steep rotation technique, between .570 and .823. The explanation of at least 40% of the general variance in the literature is sufficient in terms of behavioral Sciences (Büyüköztürk, 2002; Eroğlu, 2008; Klein, 1994; Scherer at al., 1988). It was determined that the items and factors included in the scale explained 56.312% of the total variance. When the contents of the factors in the next step were examined, it was observed that the original scale was preserved. In this context, factor names remained the same. In the slope accumulation graphic (Graph 1) drawn according to the values, the factor structure is also observed. In Graph 1, it means that there is a high acceleration decrease in the first five factors; therefore, there is an important contribution of these five factors to the variance; however, the decrease in other factors started to be horizontal; or, in other words, the contribution of the variance is close to each other (Büyükötürk, 2002; Eroğlu, 2008).



Graph 1. Screen plot graphic (Eigenvalues according to the factors).

As a result of these conducted processes, the findings regarding the item loads of the total 20 items remaining in the scale according to the factors and the amounts of the factors in explaining the eigenvalues and variance are presented in Table 4.

Items		Com. Factor	F1	F2	F3	F4	F5
	01	.690	.823				
Cooperativity	O2	.715	.822				
Cooperativity	O3	.657	.779				
	O4	.690	.656				
	P3	.566		.731			
	P4	.573		.723			
Problem Solving	P5	.532		.666			
	P2	.427		.658			
	P1	.534		.634			
	T2	.690			.783		
Critical Thinking	T3	.627			.738		
-	T1	.515			.642		
	T5	.393			.602		

**Table 4.** Factor analysis results of the scale as per factors



	A6	.647				.709	
Algorithmic	A3	.580				.708	
Thinking	A4	.606				.698	
	A1	.467				.650	
	C5	.591					.762
Creativity	C4	.529					.615
	C1	.400					.570
	Eigenva	Eigenvalues		2.30	1.70	1.23	1.09
	Explaine	Explained variance		12.46	11.96	11.11	7.72

As shown in Table 4, The Cooperativity factor of the scale contains 4 items and the factor loads vary between 0.656 and 0.823. The eigenvalues of this factor is 4.92; the contribution it provides to the total variance is 13.05%. Problem solving factor contains 5 items. Factor loads of items are between 0.634 and 0.731. The eigenvalues of this factor is 2.30; the contribution it provides to the total variance is 12.46%. The Critical Thinking factor contains 4 items. Factor loads of items are between 0.602 and 0.783. The eigenvalues of this factor is 1.70; the contribution it provides to the total variance is 11.96%. The Algorithmic Thinking factor contains 4 items. Factor loads of items are between 0.650 and 0.709. The eigenvalues of this factor is 1.23; the contribution it provides to the total variance is 11.11%. The Creativity factor contains 3 substances. Factor loads of items are between 0.570 and 0.762. The eigenvalues of this factor is 1.09; the contribution it provides to the total variance is 7.72%.

*Findings Regarding the Confirmatory Factor Analysis:* At the end of exploratory factor analysis, confirmatory factor analysis was carried out on data collected from K10 level students to verify the factor structure of the re-tested scale consisting of 5 factors. For each item, the estimate values are presented in Table 5 as a result of the confirmatory factor analysis using the maximum likelihoods technique without any limitation.

	Item	/ Factor	Estimate
c1	<	Creativity	.653
c4	<	Creativity	.693
c5	<	Creativity	.549
a1	<	Algorithmic Thinking	.523
a3	<	Algorithmic Thinking	.571
a4	<	Algorithmic Thinking	.817
a6	<	Algorithmic Thinking	.726
o4	<	Cooperativity	.550
о3	<	Cooperativity	.707
o2	<	Cooperativity	.817
o1	<	Cooperativity	.800
t1	<	Critical Thinking	.659
t2	<	Critical Thinking	.792
t3	<	Critical Thinking	.762
t5	<	Critical Thinking	.505
p5	<	Problem Solving	.606
p4	<	Problem Solving	.619
p3	<	Problem Solving	.721
p2	<	Problem Solving	.589
p1	<	Problem Solving	.566

Table 5 shows that the estimate values of the items are between 0.505 and 0.817. Therefore, it



can be said that the estimate values are generally near to 0.70 and that there are no values that are far from 0.70. In confirmatory factor analysis, model-data compatibility is examined (Kline, 1994; Tabachnick & Fidell, 2001: Cited in Gülbahar & Büyüköztürk, 2008). In the confirmatory factor analysis, a large number of adjustment indexes are used to assess the validity of the model. Among these, the most frequently used ones are Chi-Square, the goodness fit index (GFI), the corrected goodness fit index (AGFI), the square root of mean errors (RMR or RMS), and the mean square root of approximate errors (RMSEA) (Gülbahar & Büyüközütürk, 2008). In the literature, if the ratio of ( $\chi 2$ /SD) calculated with DFA is less than 5, it can be seen as an indicator of the model's good compatibility with real data (MacCallum et al., 1996; Sumer, 2000). For model data compatibility, it is expected that GFI and AGFI values be higher than90, RMS or standardized RMS and RMSEA values be lower than ,05 (Sumer, 2000; Kline, 2005; Şimşek, 2007). On the other hand the smallness of GFI value from 0.85, the highness of AGFI value from 0.80 and the smallness of RMS value from 0.10 is taken as criteria indicating the compatibility of model with actual data (Anderson & Gerbing, 1984; Marsh et al., 1988; Sümer, 2000; Kline, 2005; Şimsek, 2007).

The confirmatory factor analysis is based on the principle that the correlations between the observed and the unobserved variables are evaluated and tested as a hypothesis (Pohlmann, 2004). In this context, if the values obtained from confirmatory factor analysis are in the range of χ2/D<3; 0<RMSEA<0.05; 0≤s-RMR≤0.05; 0.97≤NFI≤1; 0.97≤CFI≤1; 0.95≤GFI≤1;  $0.95 \le AGFI \le 1$  and  $0.95 \le IFI \le 1$ . they show perfect fit, and if they are in the range of 0.06 <= RMSEA < 0.08;  $0.06 \le S-RMR \le 0.08;$ 0.90 ≤ NFI ≤ 0.96; 0.90 ≤ CFI ≤ 0.96;  $\gamma 2/D < 5$ :  $0.90 \le GFI \le 0.96$ ;  $0.90 \le AG \le 0.96$ ;  $0.90 \le IFI \le 0.96$  and  $0.90 \le IFI \le 0.96$  they show acceptable compatibility (Kline, 2005; Şimşek, 2007). When the goodness of fit values obtained for CTS are examined, It was found as  $\chi_{2(SD=160, n=379)}$ = 311.132 p<.001, CMIN/DF=1.945, RMSEA= 0.050, S-RMR= 0.043, GFI= 0.92, AGFI= 0.90, CFI= 0.93 and IFI= 0.93. According to these values, it can be said that  $\chi^2/D$ , RMSEA and S-RMR observed fit values were excellent; CFI, GFI, AGFI and IFI observed fit values were acceptable (Kline, 2005; Simsek, 2007). In other words, this model obtained shows that the factors are verified by means of the data. The values of factor model and factor-item relationship of the scale are given in Figure 1.

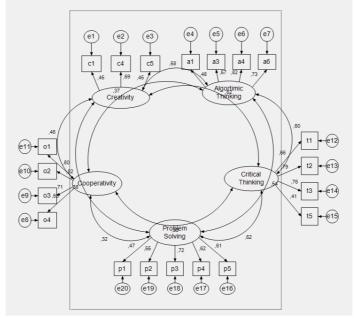


Figure 1. Confirmatory factor analysis diagram of the scale



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## Item Distinctiveness

In this section, the correlations between the score attained from each item in the factors and the score attained from the factors have been calculated according to the item total and the distinctiveness levels of the items were tested. For each item, the item-factor correlation values are shown in Table 6.

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F1. Creativity		F2. Alg. Thin.		Co	F3 Cooperativity		F4. rit. Thin.	F5. Prob. Sol.		
I.	r	I.	r	I.	r	I.	r	I.	r	
C1	.710(**)	A1	.682(**)	01	.809(**)	T1	.752(**)	<b>P1</b>	.654(**)	
C4	.726(**)	A3	.728(**)	02	.833(**)	T2	.817(**)	P2	.676(**)	
C5	.703(**)	A4	.779(**)	03	.806(**)	Т3	.778(**)	<b>P3</b>	.736(**)	
		A6	.776(**)	04	.730(**)	Т5	.643(**)	<b>P4</b>	.737(**)	
								P5	.681(**)	

As shown in Table 6, the correlation coefficiency of substance test was 0.703 to 0.726 for the first factor; 0.682 to 0.779 for the second factor; 0.730 to 0.833 for the third factor; 0.643 to 0.817 for the fourth factor; 0.654 to 0.737 for the last factor. Each item has a meaningful and positive relationship with the overall of the factor (p<0.001). These coefficients are the validity coefficient of each substance and represent the overall consistency of the factor; in other words, the level of service to the overall purpose of the factor (Carminini & Zeller, 1982). In this context, it can be said that the level of distinctiveness of each substance is quite high.

# Findings Regarding the Reliability of the Scale

Internal consistency and stability analyses were performed on the data to calculate the reliability of the scale. The reliability analysis of the scale was calculated by using Cronbach Alpha reliability coefficient. The reliability analysis of each factor and the overall scale is summarized in Table 7:

Factors	Item Numbers	Cronbach Alpha		
Creativity (C)	3	.613		
Algorithmic Thinking (A)	4	.727		
Cooperativity (O)	4	.805		
Critical Thinking (T)	4	.739		
Problem Solving (P)	5	.734		
Computational Thinking Levels	20	.830		

**Table 7.** Reliability analysis results considering the whole of the scale and its factors.

As shown in Table 7, Cronbach Alpha reliability coefficient of the scale consisting of 5 subfactors and 20 items was 0.830. On the other hand, Cronbach alpha values for factors are between 0.613 and 0.805. Although Cronbach alpha for Creativity factor is below 0.70, Cronbach alpha values for other factors and CTS are above 0.70, indicating that the internal consistency of the scale is high enough.

The stability level of the scale was determined using the test-retest method. The final form of the scale was applied to 36 students two weeks after the application. The relationship between the scores obtained at the end of both applications was examined both in terms of each item



and in terms of the overall scale. In this way, the ability to make stable measurements of both the items and the overall of the scale has been tested and the results are summarized in Table 8.

F1.		F2.	F2.			F4.		F5.		
Creativ	vity	Alg.	Think. Cooperativity Crit. Tl		. Thin.	hin. Prob. Sol.				
I.	r	I.	r	I.	r	I.	r	I.	r	
C1	.824(**)	A1	.612(**)	01	.822(**)	T1	.763(**)	<b>P1</b>	.803(**)	
C4	.668(**)	A3	.769(**)	02	.805(**)	<b>T2</b>	.877(**)	<b>P2</b>	.930(**)	
C5	.652(**)	A4	.859(**)	03	.805(**)	Т3	.905(**)	<b>P3</b>	.981(**)	
		A6	.730(**)	04	.427(**)	Т5	.898(**)	<b>P4</b>	.982(**)	
								Р5	.908(**)	
F1	.784(**)	F2	.884(**)	F3	.894(**)	F4	.936(**)	F5	.978(**)	
Total	.923(**)									
N: 36; <sup>3</sup>	**=p<0.001									

Correlation coefficients obtained by test-retest method of each item change between 0.427 and 0.982 and they are observed that each relationship is meaningful and positive in Table 8. Correlation coefficients obtained by test-retest method of the factors forming the scale range between .784 and .978. The correlation between total scores is .923 and it is observed that each relationship is meaningful and positive. Accordingly, it can be said that the scale can make stable measurements.

### Findings on Students' Computational Thinking Skills

Students' computational thinking skills levels are summarized in Table 9.

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Fastara	N	$\overline{\mathbf{v}}$	Sd.	Min	Mar	Level (f/%)					
Factors	IN	Λ	<b>5a</b> .		wiax	Low		Med	Medium		I
Creativity (C)		77.3	11.1	33	100	4	.4	249	24.5	762	75.1
Algorithmic Thinking (A)		67.5	13.8	20	100	124	12.2	404	39.8	487	48.0
Cooperativity (O)		75.2	14.6	20	100	54	5.3	237	23.3	724	71.3
Critical Thinking (T)	1015	73.6	13.3	20	100	49	4.8	280	27.6	686	67.6
Problem Solving (P)		67.1	13.3	20	100	151	14.9	306	30.1	558	55.0
Computational Thinking Levels		71.6	8.8	31	100	11	1.1	311	30.6	693	68.3

 Table 9. Students' Computational Thinking Levels

As shown in Table 9, students' computational thinking skills scores range from 31 to 100; means is  $\overline{X}$ =71.6. It is seen on the table that, 68.3% of the students' skill levels are high, 30.6% of the students' skill levels are medium and 1.1% of the students' skill levels are low. According to this, it can be said that students have very high computational thinking skills.

When we look at the scores of the factors one by one, it is observed that the factor with the highest mean is "Creativity" ( $\overline{X}$ =77.3) and the factors with the lowest mean is "Algorithmic Thinking" ( $\overline{X}$ =67.1) and "problem solving" ( $\overline{X}$ =67.1). On the other hand, the highest level of skill in the high Group is "Creativity" (75.1%), the lowest level of the high Group is "algorithmic Thinking" (48%). According to this, it can be said that the highest level of students' skills in terms of factors is "Creativity", the lowest ones are "problem solving" and "Algorithmic Thinking". Table 10 summarizes the findings regarding the students ' level of computational thinking skills by gender.



Factors		N	X	Sd	t	df	р
Creativity (C)	Male	467	79.2	11.6	5.29	1013	.000
	Female	548	75.6	10.1			
Algorithmic Thinking (A)	Male	467	70.8	14.6	7.33	1013	.000
	Female	548	64.6	12.4			
Cooperativity (O)	Male	467	76.5	16.1	2.78	1013	.006
	Female	548	74.1	13.1			
Critical Thinking (T)	Male	467	76.3	13.9	6.13	1013	.000
	Female	548	71.3	12.2	0.15		
Problem Solving (P)	Male	467	67.5	15.3	1.03	1013	.300
	Female	548	66.7	11.4	1.05		
Computational Thinking Levels	Male	467	73.5	9.5	6.48	1013	.000
	Female	548	69.9	7.8	0.40	1015	.000

**Table 10.** The Effect of Gender on Students' Computational Thinking Skills

As shown in Table 10, there is a significant difference between the students' computational thinking skills by gender ( $t_{(2-1013)}=6.48$ ; p<0.001). When the averages are examined, it is observed that differentiation is in favor of males. When the factors were examined, there was a significant difference in favor of males in all other factors except the problem solving factor ( $t_{(2-1013)}=1.03$ ; p<0.05). It can be said that computational thinking skills of males are higher than those of females, but they are similar in terms of "Problem Solving" skills. Table 11 summarizes the findings related to computational thinking skills levels according to the classroom level of the students.

Table 11. Effect of Class Level on Students' Computational Thinking SkillsFeatureN $\overline{X}$ Sdtdfp

Factors		Ν	$\overline{\mathbf{X}}$	Sd	t	df	р
Creativity (C)	K10	379	77.2	11.1	31	1013	.760
Cleativity (C)	K11	636	77.4	11.1	51		
Algorithmic Thinking (A)	K10	379	67.5	13.9	.13	1013	.896
Algorithmic Thinking (A)	K11	636	67.4	13.8	.15		
Coorporativity (0)	K10	379	75.9	14.9	1.24	1013	.213
Cooperativity (O)	K11	636	74.7	14.3	1.24	1015	.215
Critical Thinking (T)	K10	379	74.6	13.1	1.83	1013	.050
Critical Thinking (T)	K11	636	73.1	13.4	1.85		
Problem Solving (D)	K10	379	68.7	13.2	3.17	1013	.002
Problem Solving (P)	K11	636	66.1	13.3	5.17	1015	.002
Computational Thinking	K10	379	72.4	9.2	2.15	1013	.032
Levels	K11	636	71.2	8.5	2.13	1015	.032

As Show in Table 11, There is a significant difference between the total scores of computational thinking according to the students' class levels ( $t_{(2-1013)}=2.147$ ; p<0.05). When the factors were examined, there was a significant difference between the Critical Thinking ( $t_{(2-1013)}=1.83$ ; p<0.05) and the Problem Solving skills ( $t_{(2-1013)}=3.17$ ; p<0.05), and there was no difference between the other factors. When the averages are examined, it is observed that differentiation is in favor of students at K10 level. According to this, students with K10 level of Problem Solving, Critical Thinking and total scores can be said to be higher than students with K11 level.

## **Conclusion and Discussion**

In this study, the "Computational Thinking Scale" was adapted to Chinese in order to determine Chinese students' computational thinking skill levels. The scale is a five-digit likert



type scale, consisting of 20 items that can be collected under five factors. Exploratory and confirmatory factor analysis was performed to verify the factor structure of the scale. The factor analysis is based on the analysis of the factors, the factor load, the factors' eigenvalues, and the explanatory variance ratios of the factors and it can be said that the scale is a scale with structural validity. A confirmatory factor analysis was carried out to verify the factor structures of the scale, which was determined to be composed of 5 factors as a result of exploratory factor analysis. According to the results of confirmatory factor analysis, the observed values of the scale model were determined to be acceptable for the CFI, GFI, AGFI and IFI indices, and to be perfect for the  $\chi 2/D$ , RMSEA and S-RMR.

The correlation between the score obtained from each item and the score obtained from the factor to which the item belongs is used as a criterion in terms of understanding the level of the item to serve the overall purpose of the factor (Balci, 2009). In this respect, the correlation between each item of the scale and the points obtained from the factor to which the item belongs varies between 0.643 and 0.833. It can be said that each item in the scale and each factor serves a significant purpose to measure the quality of the scale in general and each item is distinguished at the desired level. Internal consistency coefficients of the scale were calculated using the Cronbach Alpha formula. Cronbach Alpha reliability coefficient of the scale was determined as .830. Stability level of the scale test- retest method and obtained the correlation coefficients were determined to be between .784 -.978 and the correlation in the range of the total score was .923. It can be said that the scale can perform reliable measurements within the framework of these values. As a matter of fact, the reliability coefficient of 0.70 and above is considered to be an indicator of the reliability of the scale (Büyüközütk, 2002; Gorsuch, 1983). As a result, it can be said that "Computational thinking Scale" is a valid and reliable scale that can be used to determine computational thinking skill levels of high school students at K10 and K11 levels in China.

On the other hand, the following results have been obtained regarding the students' computational thinking skills:

Students' computational thinking skills are quite high. In terms of factors, the students' highest level skills are "Creativity" and the lowest ones are "Problem Solving" and "Algorithmic Thinking". Similar results were obtained in the scope of the research conducted by Korkmaz and his colleagues (2015) to examine the computational thinking skills of university students in terms of different variables. In this research, it is emphasized that students perceive their own computational thinking skills at a moderate and high level. In addition, it is emphasized that the students' Problem Solving skills are low and cooperation skills are high then the other skills. In both studies, it was concluded that students' problem-Solving and algorithmic thinking skills were lower than other skills. If the students are facing some obstacles while trying to gain access to a specific purpose or understanding, there is a problem for that person (Aksoy, 2004). Learning to overcome the problems students may face in the future is one of the primary goals of the schools. The process of solving the problem should be combined and the problem should be used in the solution (Soylu & Soylu, 2006). Algorithmic thinking is defined as the ability to understand, implement, evaluate and produce algorithms (Brown, 2015). In summary, algorithmic thinking and problem-solving skills are important skills among the 21st century's skills. It can be said that the students have one of these skills, which means that they can have the other skills. Therefore, it can be said that it is natural for these two skills to be involved in the lowest or highest group together.

In terms of total scores and factors, computational thinking kills of males are higher than



females', but similar for Problem Solving. Research conducted by Korkmaz and his colleagues (2015) shows that gender is effective on critical thinking skills, and that males feel more confident about critical thinking skills than females. In the study conducted by Korkmaz (2009), although there is no difference in the tendency and levels of critical thinking by gender, males are more curious and more confident than female students. In addition, it is possible to come up with the results that males feel more comfortable about using computer technologies than females.

Problem solving, Critical thinking and total scores of K10 level students in terms of computational thinking skills are higher than K11 level students. In the research conducted by Korkmaz and his colleagues (2015), similarly, the computational thinking skills of graduate students decrease as the class level progresses. Accordingly, it can be said that schools have not been able to contribute to computational thinking skills during the education process.

As a result, if computational thinking skills are summarized as a kind of problem-solving approach (ISTE, 2015; Wing, 2006; Barr, Harrison & Conery, 2011) that strengthens human thinking skills with technology, it can be said that it is important for individuals to acquire and develop these skills within their educational processes. In particular, it is stated that when we examine the above-mentioned factors (creative thinking, algorithmic thinking, critical thinking, problem solving and cooperation skills), it is stated that individuals will have these skills in school age, develop themselves and have a digital age learning culture (ISTE, 2015; Barr et al., 2011; Brown, 2015; Aksoy, 2004; Günüç, Odabaşı & Kuzu, 2013; Grover & Pea, 2013; Lye & Koh, 2014). Barr and his colleagues (2011) emphasize that students should acquire these skills in school age so that they can transfer these skills to other problem situations. Brown (2015) emphasized that developing these skills in schools would be an important gain in considering that everyday life is surrounded by algorithms and complex problems. Based on the results achieved by this research and the literature, it is recommended that students frequently take part in activities that aim to improve their problem solving and algorithmic thinking skills, especially in the context of different courses.

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Fact.	Items				
C1	I like the people who are sure of most of their decisions	我喜欢那些对自己做出的决定很有信心的人			
C4	I have a belief that I can solve the problems possible to occur	我相信当我在一个新的环境中遇到困难时,我可			
	when I encounter with a new situation	以解决出现的问题。			
C5	I trust my intuitions and feelings of "trueness" and "wrongness"	在解决问题的时候,我相信自己对"正确"和"错误			
	when I approach the solution of a problem	"的直觉判断。			
A1	I can immediately establish the equity that will give the solution of a problem	我会立即想到通过列方程的方式来解决问题			
A3	I think that I learn better the instructions made with the help of	我认为如果老师在课上使用数学符号和概念,我			
	mathematical symbols and concepts	会学的更加容易一些。			
A4	I believe that I can easily catch the relation between the figures	我认为我可以很容易的理解数字之间的关系			
A6	I can digitize a mathematical problem expressed verbally.	我可以把一个用语言表达的数学问题转化成数学			
		模型(例如,列方程)			
01	I like experiencing cooperative learning together with my group	我喜欢和同学一起进行合作学习			
01	friends.	我普从和问子 起近11日11子习			
O2	In the cooperative learning, I think that I attain/will attain more	我认为我能够在合作学习中取得更好的成绩,因			
	successful results because I am working in a group.	为我是和小组成员一起学习的。			
03	I like solving problems related to group project together with my	在合作学习中,我喜欢和好朋友一起解决与小组			
	friends in cooperative learning.	项目有关的问题。			
O4	More ideas occur in cooperative learning.	我认为在与其他同学一起进行合作学习的过程中			
		,我容易产生更多的想法。			
T1	I am good at preparing regular plans regarding the solution of	我擅长制定解决复杂问题的计划			
T2	the complex problems. It is fun to try to solve the complex problems.	我认为试图解决一些复杂的问题是很有趣的			
T3	I am willing to learn challenging things.	我愿意学习具有挑战性的东西			
T5	I make use of a systematic method while comparing the options				
15	at my hand and while reaching a decision.	在作出选择和决定时候,我会进行系统的考虑。			
P1	I have problems in the demonstration of the solution of a	把脑海中解决问题的方案展示出来,对我来说有			
	problem in my mind.	点儿难。			
P2	I have problems in the issue of where and how I should use the	在解决问题的过程中,我不知道在哪儿以及如何			
	variables such as X and Y in the solution of a problem.	使用X和Y等变量。			
P3	I cannot apply the solution ways I plan respectively and gradually.	我不能逐步应用我所设计的问题解决方案			
P4	I cannot produce so many options while thinking of the possible	在考虑解决一个问题的方法时,我不能想出来很			
	solution ways regarding a problem.	在考虑解决一下问题的力法时,我不能恐口来很 多方法来。			
P5	I cannot develop my own ideas in the environment of				
13	cooperative learning.	在合作学习的环境中,我无法形成自己的想法			
	cooperative loanning.				

#### Appendinx 1: CTS

